Duke Math 431
Spring 2015

## Homework 1

Due Friday, January 16 at the beginning of class

## Reading.

Sections 1.1, 1.2, and 1.3.

## Problems.

Section 1.1: \#2, 3, 4, 10, 11.
Section 1.2: \#1(d,e), 3, 8.
For \#1(d), there's hardly any work to show. For example, a perfectly good answer to (b) would be $S \cap T=(1,2) \cap[-2,2]=(1,2)$.
For \#3, it suffices to show $x \in A \cap(B \cup C)$ if and only if $x \in(A \cap B) \cup(A \cap C)$.
For $\# 8$, it helps to let $p(x)=a_{n} x^{n}+a_{n-1} x^{n-1}+\ldots+a_{1} x+a_{0}$ be an arbitrary polynomial and then write what $I(p)(x)$ is.

Reflection. Please put on a separate piece of paper. Four sentences total is fine, else write more if you choose.
What's your (possible future) major/minor, or graduate program? What's your year?
Why are you taking this class? ("It's required for my degree" is a sufficient answer.)
What's your planned next step? IE next class, job, grad program, etc.
What are some of your interests/hobbies?

