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## Teaching Statement

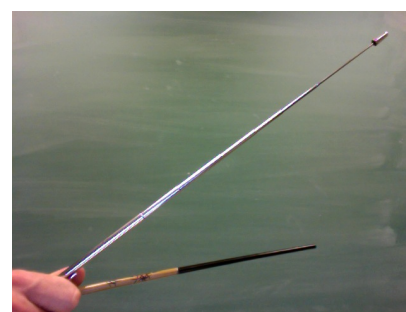
When I teach, I want my students to become confident in their ability to do mathematics. How do I pursue this goal?

**First, I make myself accessible.** This means that I learn the names of my students, I arrive to class early to answer questions as they trickle in, and I end each class by saying “That’s it for today, but please stick around if you have more questions.” My students are more confident knowing I’m in their corner.

**Second, we discuss the pictures behind a concept.** Students sometimes feel that even though they can solve the homework, they don’t fully understand what is going on. I think that spending time on pictures helps here. For example, consider the equation

$$\mathbf{v} \cdot \mathbf{w} = \|\mathbf{v}\| \|\mathbf{w}\| \cos \theta,$$

where  $\theta$  is the angle between vectors  $\mathbf{v}$  and  $\mathbf{w}$ . To discuss this equation, I come to class armed with an extendable pointer and a chopstick (pictured). The pointer is vector  $\mathbf{v}$ , the chopstick is vector  $\mathbf{w}$ , and my fist is the origin. We discuss how the dot product changes as I vary the angle between the vectors, or as I vary the length of vector  $\mathbf{v}$  by extending the pointer. My students are more confident in a topic after we discuss the pictures behind it.



**Third, I make our class a conversation.** Talking about math can be intimidating for students at first, so joining a mathematical discussion improves their confidence (while passively listening to me talk does not). How do I invite conversation in class? Knowing my students’ names is a necessary first step. I give the students frequent opportunities to speak by asking recall questions, such as: “Subset  $V \subset \mathbb{R}^n$  is a linear subspace if ... do you remember any of the three conditions?” I also use paradoxical questions, such as: “If  $S = \{\mathbf{v}_1, \mathbf{v}_2, \mathbf{v}_3\}$  is a linearly dependent set, then can every vector in  $S$  be written as a linear combination of the other two?” Paradoxical questions lead to longer discussions as the students try to reconcile their intuition with an answer they weren’t expecting.

**Fourth, I prepare my board work carefully.** I want my board to read like a terse set of notes, but I don’t want to spend all of class time writing furiously. Therefore I plan succinct yet clear language for my board work ahead of time. I believe my students work harder for me after observing how diligently I prepare for them.

I’ve enjoyed my role as a teacher thus far, and I look forward to future opportunities to teach.

Thank you,  
Henry Adams